



## A Model for the Reduction of Flood Peak Discharge ( $\Delta Q_p$ ) Due to the Retarding Basin

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### Abstract

This research aims to develop a model for flood peak discharge reduction ( $\Delta Q_p$ ) through the placement of retarding basins within a watershed system, represented by the area ratio of the controlled watershed ( $R_{Ak}$ ) and the maximum storage capacity of the retarding basin ( $V_k$ ). The area ratio of the controlled watershed ( $R_{Ak}$ ) is defined as the ratio between the catchment area of the retarding basin and the total watershed area ( $A_k/A$ ). The methodology involves simulating various retarding basin placements ( $R_{Ak}$ ) and different maximum storage capacities ( $V_k$ ) for several flood return periods ( $Q_T$ ). This study was conducted in the urban agglomeration area of Wonosari, Gunungkidul Regency, Special Region of Yogyakarta, Indonesia. The placement and utilization of retarding basins result in varying levels of flood peak discharge reduction ( $\Delta Q_p$ ) at the downstream control point (Taman Pancuran), depending on the maximum storage capacity of the retarding basin ( $V_k$ ) and its placement within the watershed ( $R_{Ak}$ ). The resulting empirical equations for flood peak discharge reduction ( $\Delta Q_p$ ) using the retarding basin method are as follows:  $\Delta Q_p = 0.105654 - 0.014593 V_k - 0.029251 R_{Ak} + 0.011089 Q_T$  for  $V_k$  values in the range  $(V_1-V_4) = 36.4-208.8 \times 10^3 \text{ m}^3$ , and  $\Delta Q_p = 1.374989 - 0.003702 V_k - 0.338381 R_{Ak} + 0.004773 Q_T$  for  $V_k$  values in the range  $(V_4-V_{200}) = 136.2-7039.1 \times 10^3 \text{ m}^3$ . An observed anomaly was identified, where  $\Delta Q_p$  became positive at small values of  $V_k$  and  $R_{Ak}$ , indicating an increase in peak discharge ( $Q_p$ ).

**Keywords:** Flood Peak Reduction; Retarding Basin; Area Ratio of Watershed.

## 1. Introduction

Land use change is an important aspect of environmental management and urban planning. Population growth in a region leads to an increase in residential areas. Currently, more than half of the world's population lives in urban areas, and this proportion is estimated to reach 80% by 2050 [1]. In addition, land use change is driven by residential demands and the associated supporting facilities and infrastructure. The critical issue is the continuously increasing population, which contributes to increased surface runoff and ultimately results in flooding [2, 3]. Flooding occurs frequently in Indonesia, particularly in regions with high urban population density [4–6]. Such flooding causes significant material and non-material losses, highlighting the urgent need for flood mitigation measures [7, 8].

In recent years, engineering science has advanced in the distribution of design flood discharge; however, these developments have not fully resolved downstream river flooding problems. Retarding basins represent an environmentally friendly and effective option for addressing this issue [9,10], functioning similarly to dams, reservoirs, detention basins, or retention (conservation) basins. A retention basin serves as a drainage infrastructure designed to infiltrate and store rainfall within a specific area [11, 12]. However, if land use changes are not aligned with the available storage capacity, the application of retarding basin methods may result in numerous failures.

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Land use change is a consequence of increasing demand driven by population growth. The main factors influencing the estimation of surface runoff in a watershed include rainfall volume [13, 14], soil type, land cover type [15], and area management practices [16]. Therefore, it is necessary to develop environmentally friendly retarding basin methods, such as the use of dams or reservoirs and conservation basins (retention or detention basins), to address downstream flooding while still considering land use changes that are adjusted to storage capacity. In addition, it is necessary to determine flood peak discharge reduction ( $\Delta Q_p$ ) in a watershed area in relation to land use change. Furthermore, the ratio of the controlled watershed area ( $R_{Ak}$ ) [17], defined as the ratio between the catchment area of the conservation basin and the total watershed area ( $A_k/A$ ), as well as the maximum storage capacity of the conservation basin ( $V_k$ ), must be determined as part of conservation efforts that remain safe with respect to flood hazards [18–20].

This study aims to reduce surface runoff by evaluating the placement of conservation basins, which is represented by the ratio of the controlled watershed area ( $R_{Ak} = A_k/A$ ) and the planned maximum storage capacity of the conservation basin ( $V_k$ ). The research produces analytical results of flood peak discharge reduction ( $\Delta Q_p$ ) in graphical form and mathematical formulations that can be used by stakeholders for decision-making. Previous studies have not analyzed the  $R_{Ak}$  variable using a four-dimensional (4D) graphical approach, nor have they developed empirical equations for flood peak reduction ( $\Delta Q_p$ ) using the retarding basin method.

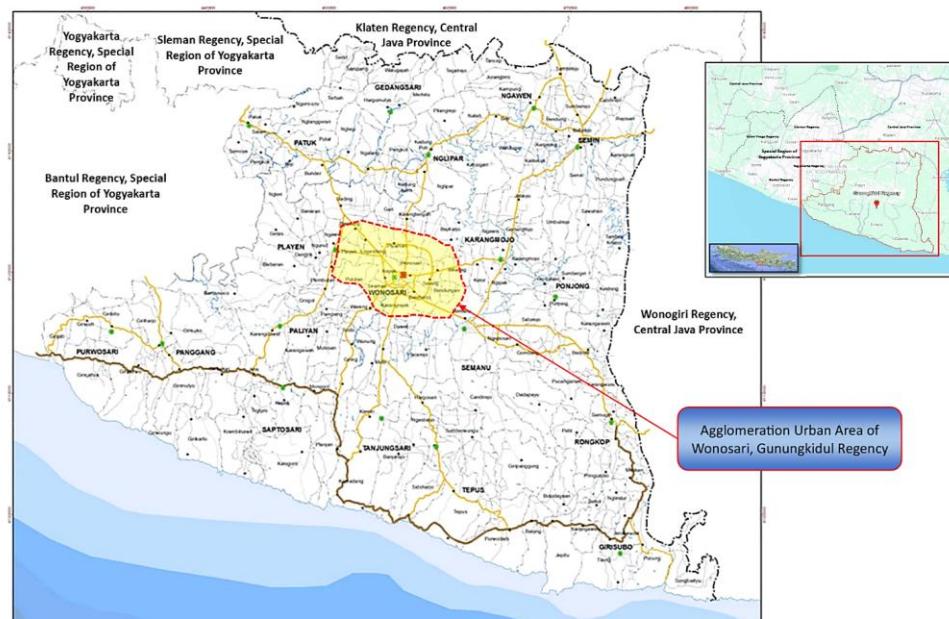
The structure of this article consists of the title, abstract, introduction, materials and methods, results and discussion, conclusion, declarations, and references. Table 1 presents the gap analysis related to flood peak discharge reduction.

**Table 1. Gap Analysis of Flood Peak Discharge Reduction ( $\Delta Q_p$ )**

Review of aspect	Ideal condition	Present condition	Gap
Evaluation of flood peak reduction without using the retarding basin method.	There are graphics and formulations that can determine the flood peak discharge reduction due to the improvement variables of soil type, land cover type, and land management.	Evaluation of flood peak discharge reduction through the efforts of vegetative and mechanical there has not been an analysis of the conservation as the improvements of soil type, reduction of runoff by carrying out the land cover type, and land management.	To estimate the runoff by using SCS-CN, placements of retarding basins.
Evaluation of flood peak discharge reduction by using the retarding basin method.	There are graphics and formulations that can determine the flood peak discharge reduction due to the ratio between controlled watershed area ( $R_{Ak}=A_k/A$ ) and maximum storage capacity ( $V_k$ ) from the retarding basin in a watershed system.	Evaluation of flood peak discharge reduction by analyzing the controlled watershed area ( $R_{Ak}=A_k/A$ ) and the maximum storage ( $R_{Ak}=A_k/A$ ) and maximum storage capacity ( $V_k$ ) capacity ( $V_k$ ) from the retarding basin in a watershed system.	There has not been the influenced analysis using a dam/reservoir/retention basin without between the controlled watershed area analyzing the controlled watershed area ( $R_{Ak}=A_k/A$ ) and the maximum storage ( $R_{Ak}=A_k/A$ ) and maximum storage capacity ( $V_k$ ) capacity ( $V_k$ ) from the retarding basin in a watershed system.

## 2. Materials and Methods

The research location is in the agglomeration area of Wonosari urban, Gunungkidul Regency, Daerah Istimewa Yogyakarta, Indonesia (Figure 1). The selection of locations in the retarding basin of Purwosari, Purbosari, etc. is regarding the land availability that can be released.



**Figure 1. Research Location**

## 2.1. Synthetic Unit Hydrograph

The synthetic unit hydrograph (SUH) is used if the hydrology data are not available to differentiate the unit hydrograph [21]. The synthetic unit hydrograph is differentiated based on the physical characteristic of a watershed [22]. This research uses the SCS-SUH (Soil Conservation Service-SUH) for analysis in the upstream sub-watershed and in the tributary sub-watershed. The SCS-SUH uses the non-dimensionless hydrograph that is developed from the analysis of a large number of unit hydrographs from field data with the various size of watersheds and from different locations. If the effective rainfall depth is 1 mm, so the peak discharge is as follows [23]:

$$Q_p = \frac{0.208 A}{T_p} \quad (1)$$

$$T_p = \frac{t_r}{2} + t_p \quad (2)$$

$$t_p = 0.6 t_c \quad (3)$$

with:  $Q_p$ : peak discharge of unit hydrograph ( $\text{m}^3/\text{s}$ );  $A$ : watershed area ( $\text{km}^2$ );  $T_p$ : time to peak (hour);  $t_p$ : time lag, time from the weighted point of effective rainfall to the unit hydrograph peak (hour);  $t_r$ : duration of effective rainfall (hour);  $t_c$ : concentration time (hour);  $T_b$ : time base ( $2.67 T_p$ ) (hour).

## 2.2. Flood Routing through the Level Pool

The flood level pool routing is a procedure for analyzing the outflow hydrograph from reservoir that has the horizontal water surface [19]. The flood routing equation in the continuity equation form that is numerically solved by making the numerical discretization which classifies the unknown values on the left section and the known values on the right section [24] is as follows:

$$\alpha_2 = I_1 + I_2 + \beta_1 \quad (4)$$

where:

$$\alpha_2 = \frac{2 S_2}{\Delta t} + O_2 \quad (5)$$

$$\beta_1 = \frac{2 S_1}{\Delta t} - O_1 \quad (6)$$

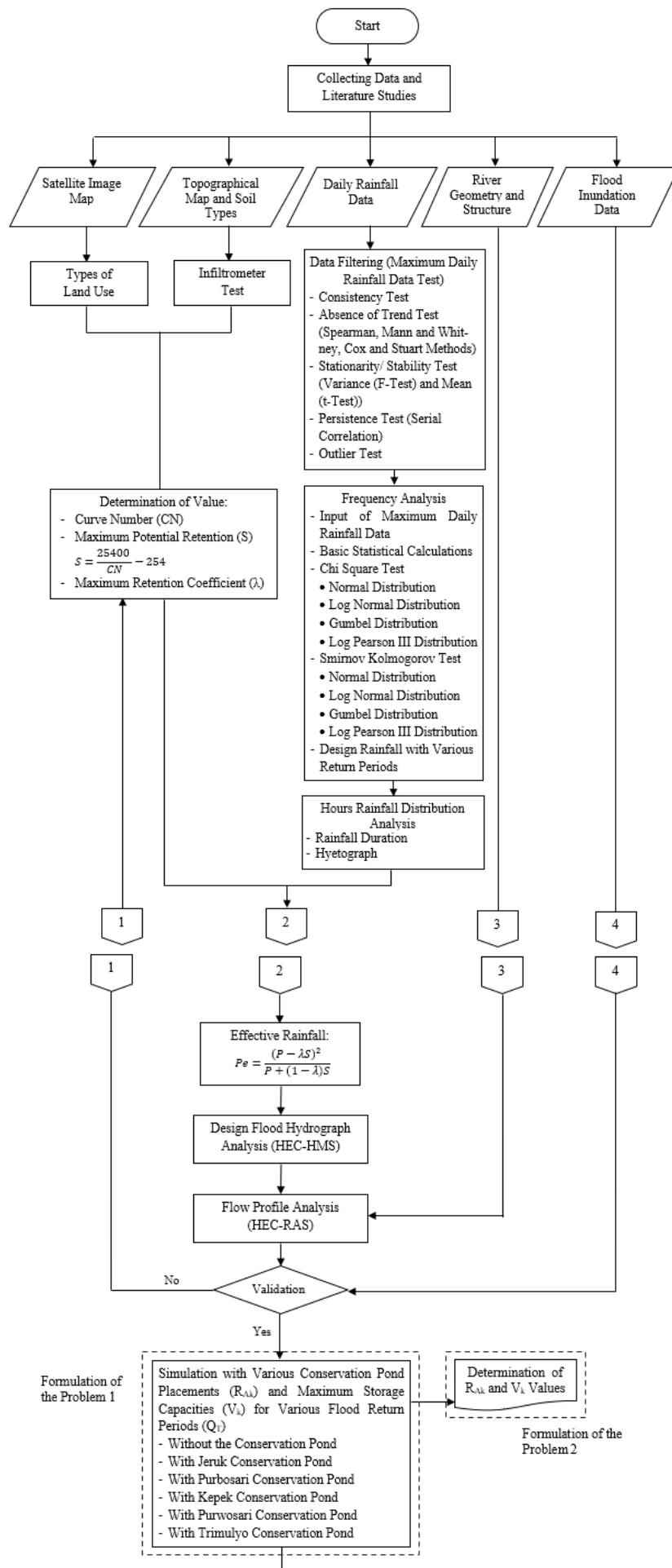
This method needs the data of reservoir hydraulic and geometric as curve or table of storage-elevation, outflow-elevation, outflow-storage. The curve of storage-elevation is analyzed based on the topography data. The minimum elevation is an elevation which the storage is zero, however, the maximum elevation is the elevation of dam peak.

## 2.3. Simulation of Flow

According to Istiarto [24], the simulation of flow in open channel is one of the methods to study the flow pattern along the channel. Simulation is really carried out by flowing water in the channel that is made based on the laboratory scale (physical model) or virtually by carrying out a series of hydraulic analysis that is generally accommodated in one device of computer application (mathematical model). Through the physical model, a number of flow physical phenomenon in channel or real river (prototype) is simulated in the channel or river that is built with smaller size (model). The interpretation to the observed or measured phenomenon in the model will give a guidance to the phenomenon that as if it happened in the prototype. The mathematical model imitates the flow physical phenomenon in the real channel (prototype) through a series mathematical equation that describe the relation between flow variables (variables of geometric, kinematic, and dynamic). If the physical model is measured or observed for obtaining the flow parameters, however, in the mathematical model, the flow parameters are obtained by analyzing or solving the mathematical equation. The model is based on the historical data from the selected rainfall stations.

Principally, the steps of flow simulation by using physical model or mathematical model consists of five base steps that are preparation of place, imitation of geometry, imitation of flow, measuring or analysis of velocity and water depth, presentation and interpretation of result [25].

Figure 2 presents the flow chart of research study.



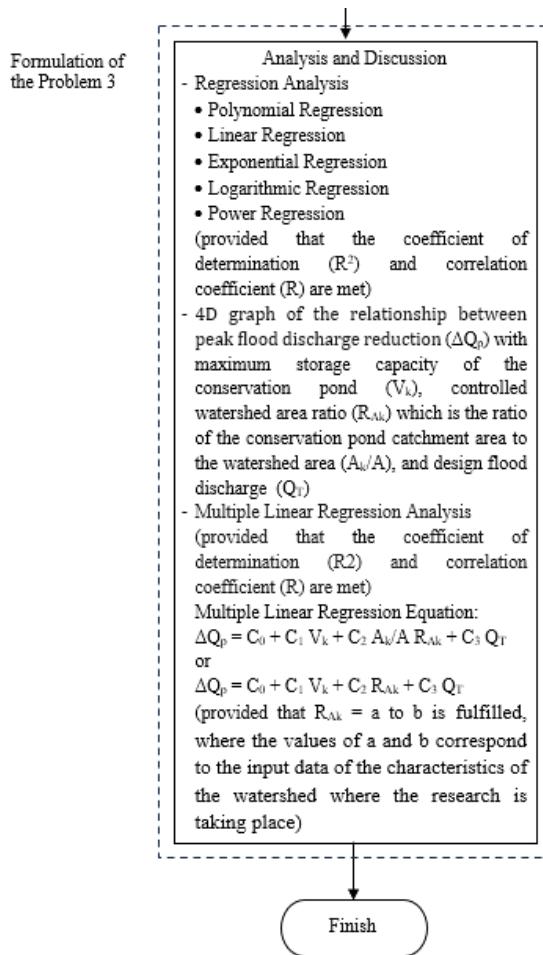


Figure 2. Research Flowchart

## 2.4. Methodology

The steps of the research methodology are as follows:

- Data collection and literature review, including satellite imagery (land use types), topographic maps, soil type and infiltrometer test results, daily rainfall data, river geometry and structural data, and flood inundation records.
- Data filtering and maximum daily rainfall testing, including consistency tests; non-trend tests (Spearman, Mann-Whitney, and Cox-Stuart methods); stationarity and stability tests (variance using the F-test and mean using the t-test); persistence tests (series correlation); and outlier tests.
- Frequency analysis, using maximum daily rainfall data as input, including basic statistical analysis; Chi-square and Kolmogorov-Smirnov tests for normal, log-normal, Gumbel, and Log Pearson Type III distributions; and the determination of design rainfall for various return periods.
- Analysis of hourly rainfall distribution, including rainfall duration and hyetograph curves.
- Analysis of effective rainfall.
- Analysis of the design flood hydrograph using HEC-HMS.
- Analysis of the flow profile using HEC-HMS.
- Verification and validation of the results.
- Simulation of various retarding basin placements ( $R_{Ak}$ ) and maximum storage capacities ( $V_k$ ) for different return periods ( $Q_T$ ), including scenarios without retarding basins and with retarding basins at Jeruk, Purbosari, Kepek, Purwosari, and Trimulyo.
- Analysis and discussion, including four-dimensional (4D) graphical analysis and the development of empirical equations relating  $\Delta Q_p$  to  $V_k$ ,  $R_{Ak}$  ( $A_k/A$ ), and  $Q_T$ .

### 3. Results and Discussion

The reduction factor of flood peak discharge was analyzed using the retarding basin method [26] under existing flood conditions at the control point of Taman Pancuran in the study area. The placement factor of retarding basins within a watershed system is represented by the area ratio of the controlled watershed ( $R_{Ak}$ ) and the volume of the retarding basin ( $V_k$ ). The area ratio of the controlled watershed ( $R_{Ak}$ ) is defined as the ratio between the catchment area of the retarding basin and the total watershed area ( $A_k/A$ ). The flood peak discharge reduction model using the retarding basin method was developed through four-dimensional (4D) graphical analysis and empirical equations of flood peak discharge reduction ( $\Delta Q_p$ ).

The SCS-SUH method was applied because the watershed area is relatively small and consists of several sub-catchment areas along the river section. Flood routing through a plain pool was conducted by considering the crest height of the weir or side spillway of the retarding basin, which is generally designed with a height of only 1–2 m. The flood routing results obtained using the plain pool method were compared with those from reservoir routing and showed relatively similar flood peak discharge reductions ( $\Delta Q_p$ ). However, the volume of water stored in the retarding basin differs depending on the crest height of the weir or side spillway. This difference occurs because the retarding basin area is relatively constant, or because the retarding basin pool area influences the lag time value at the downstream control point.

#### 3.1. Analysis of the Area Ratio Variable of Controlled Watershed ( $R_{Ak}$ ) and 4D Graphic of Flood Peak Discharge Reduction ( $\Delta Q_p$ ) by Using Retarding Basin Method

The four-dimensional (4D) graphics of flood peak discharge reduction for return periods  $Q_2$ ,  $Q_5$ ,  $Q_{10}$ , and  $Q_{20}$  using the retarding basin method, considering various maximum storage capacities or volumes of retarding basins ( $V_k$ ) and different placement variables of retarding basins ( $R_{Ak}$ ), at the control point of Taman Pancuran are presented in Figures 3 to 6.

From Figures 3 to 6, it can be observed that for the same design discharge ( $Q_T$ ), a larger maximum storage capacity or volume of the retarding basin (higher  $V_k$ ) results in a greater reduction in flood peak discharge (higher  $\Delta Q_p$ ). Conversely, for the same maximum storage capacity or volume of the retarding basin ( $V_k$ ), a larger area ratio of the controlled watershed (higher  $R_{Ak}$ ) generally leads to a smaller flood peak discharge reduction (lower  $\Delta Q_p$ ), particularly when the retarding basin storage capacity is relatively small. However, when the maximum storage capacity or volume of the retarding basin is relatively large, the flood peak discharge reduction becomes more significant. This occurs because a larger retarding basin storage capacity increases the lag time and effectively reduces the flood peak discharge.

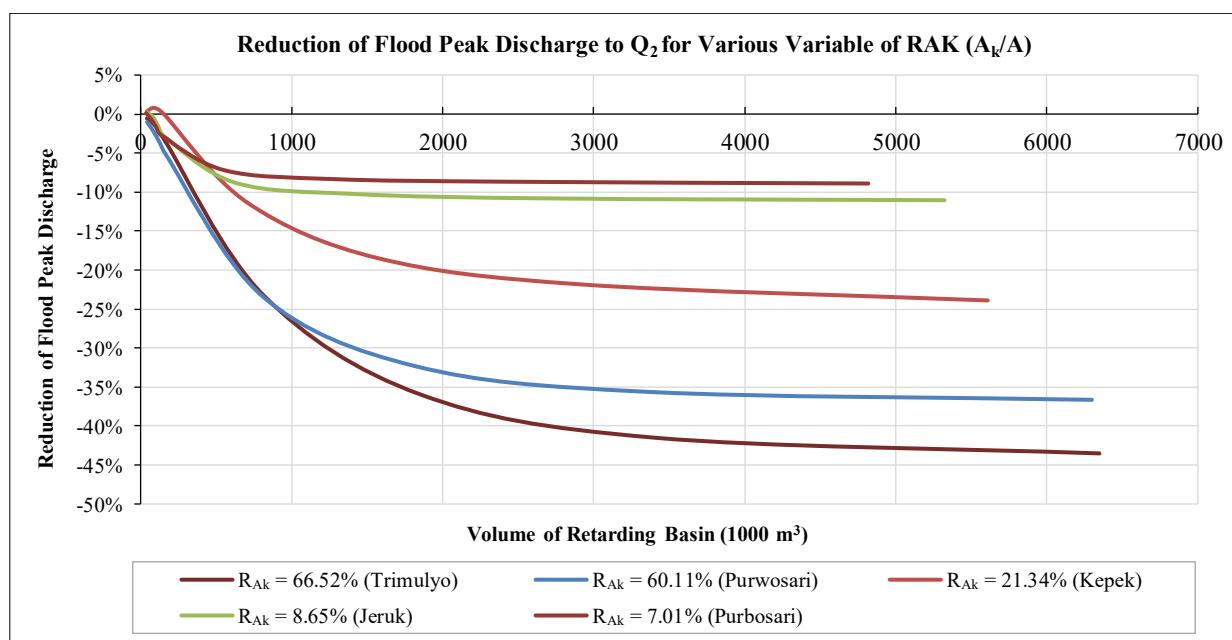


Figure 3. Reduction of Flood Peak Discharge ( $Q_2$ ) with Various Variables of  $R_{Ak}$  ( $A_k/A$ ) on the Control Point of Taman Pancuran

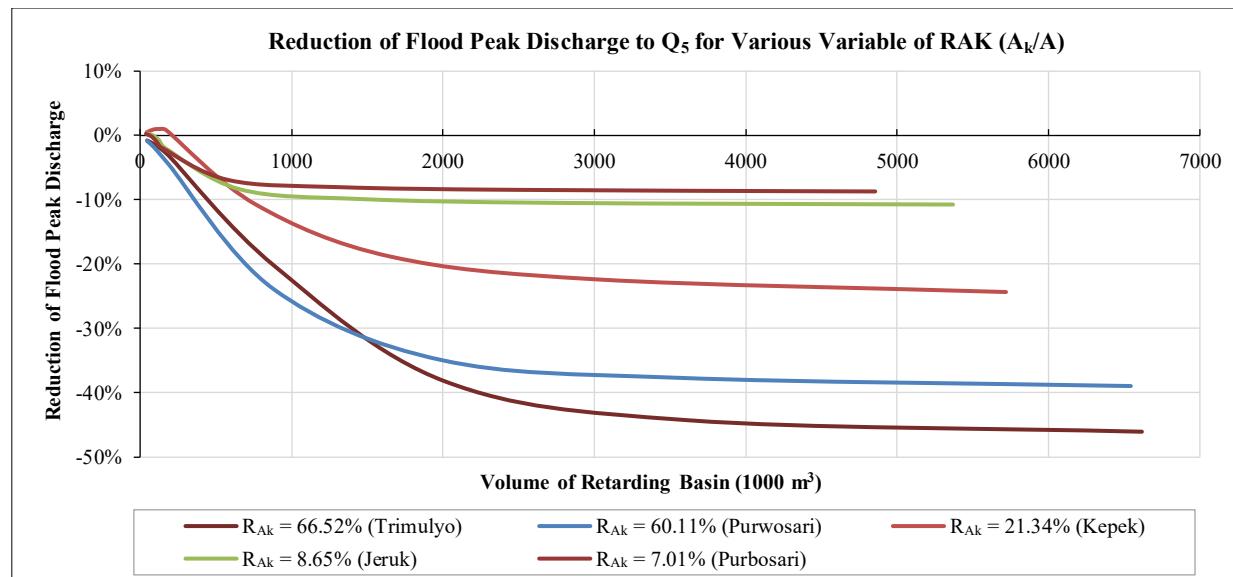


Figure 4. Reduction of Flood Peak Discharge ( $Q_5$ ) with Various Variables of  $R_{Ak}$  ( $A_k/A$ ) on the Control Point of Taman Pancuran

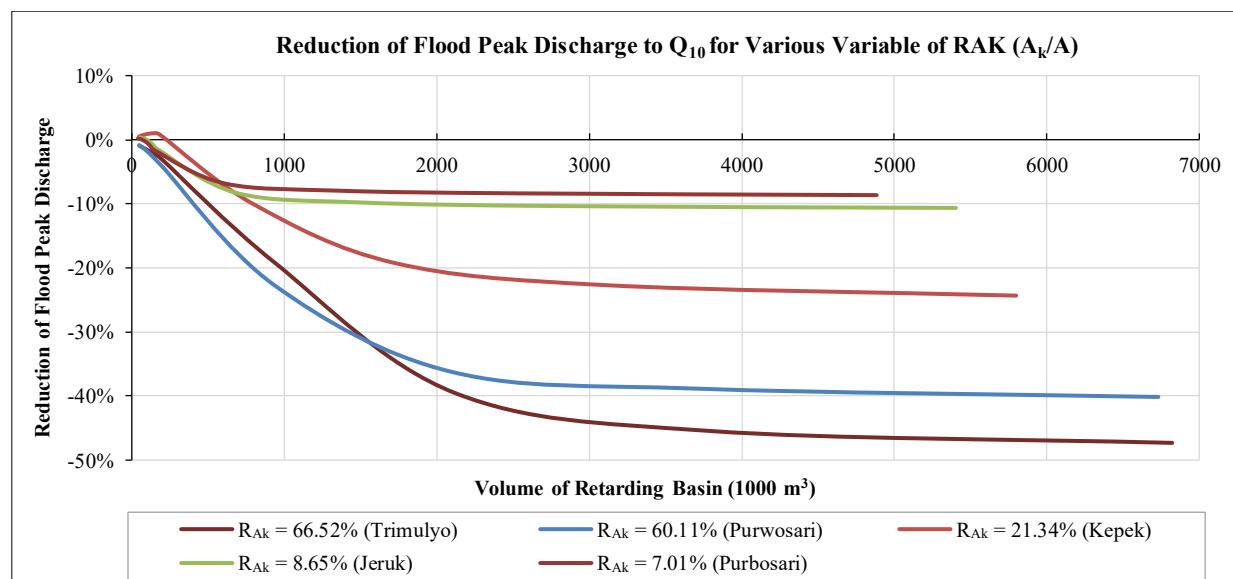


Figure 5. Reduction of Flood Peak Discharge ( $Q_{10}$ ) with Various Variables of  $R_{Ak}$  ( $A_k/A$ ) on the Control Point of Taman Pancuran

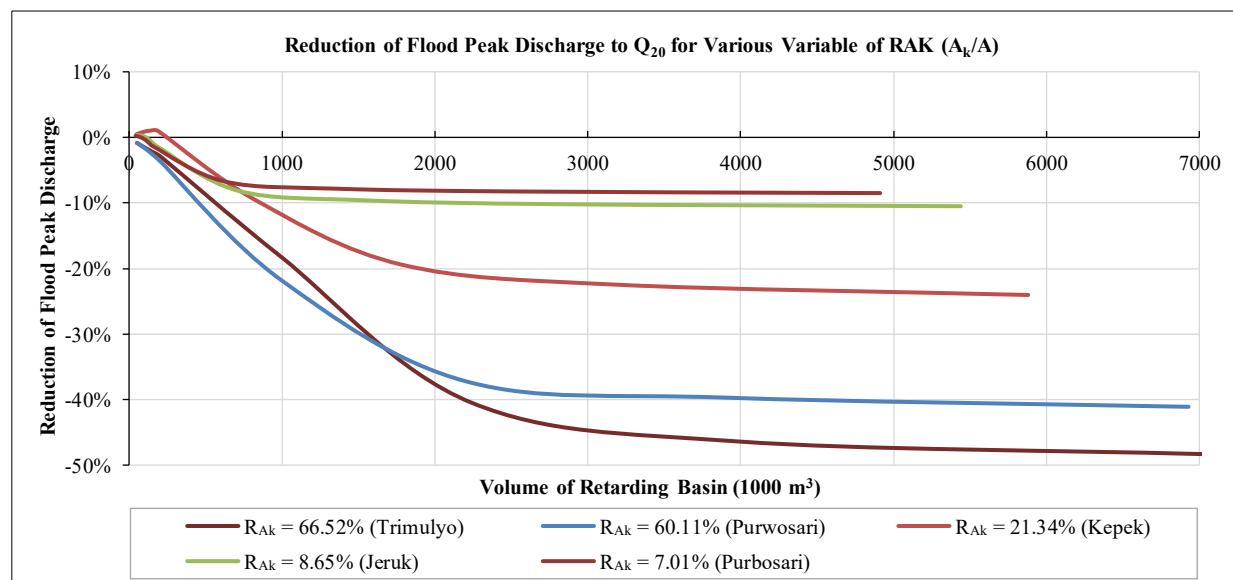


Figure 6. Reduction of Flood Peak Discharge ( $Q_{20}$ ) with Various Variables of  $R_{Ak}$  ( $A_k/A$ ) on the Control Point of Taman Pancuran

When the maximum storage capacity or volume of the retarding basin is relatively small (small  $V_k$ ) and the area ratio of the controlled watershed is also relatively small (small  $R_{Ak}$ ), an anomaly in flood peak discharge reduction (positive  $\Delta Q_p$ ) may occur at the downstream control point (Taman Pancuran), where the flood peak discharge increases. This phenomenon occurs because the relatively small retarding basin storage capacity and controlled watershed area produce only a slight change in the flood discharge hydrograph in terms of added lag time and flood peak reduction. As a result, the recession limb of the flood hydrograph at a certain time (t-hour) becomes higher than the flood peak discharge prior to the construction of the retarding basin. Consequently, the flood hydrograph with the retarding basin resonates with the flood peak discharge from another tributary with a relatively larger sub-watershed area through hydrograph superposition at the Taman Pancuran control point, leading to an increase in the flood peak discharge.

The observed anomaly (positive  $\Delta Q_p$  or increased  $Q_p$  under conditions of small  $V_k$  and small  $R_{Ak}$ ) represents a hydrological behavior that occurs because the design flood hydrograph produced by the addition of lag time and slight flood peak reduction is not significantly altered. Specifically, the recession limb of the design flood hydrograph at a certain time becomes higher than that of the design flood hydrograph without a retarding basin. The design flood hydrograph influenced by the retarding basin resonates with the design flood hydrograph from another tributary with a relatively larger sub-watershed area due to hydrograph superposition at the downstream control point (Taman Pancuran), causing an increase in the flood peak discharge. Since this hydrological behavior occurs only under conditions of small  $V_k$  and small  $R_{Ak}$  and results in a relatively small and positive  $\Delta Q_p$ , mitigation measures are generally unnecessary. However, if mitigation is required, the storage capacity ( $V_k$ ) can be increased by expanding the retarding basin area, where feasible.

### 3.2. Empirical Equation of Flood Peak Discharge Reduction ( $\Delta Q_p$ ) by Using Retarding Basin Method

Based on the recapitulated simulation results of flood peak discharge reduction ( $\Delta Q_p$ ) for various flood return periods ( $Q_T$ ), different maximum storage capacities of the retarding basin ( $V_k$ ), and varying area ratios of controlled watersheds ( $R_{Ak}$ ) at the Taman Pancuran control point (as shown, for example, in Tables 2 and 3 for the Purwasari retarding basin), multiple linear regression analysis was conducted to obtain the empirical equation for flood peak discharge reduction ( $\Delta Q_p$ ), as presented in Table 4.

Table 2. Design of Flow Simulation

No	Scenario	Design Flood Hydrograph			
		$Q_2$	$Q_5$	$Q_{10}$	$Q_{20}$
1	<b>Without Retarding Basin</b>	✓	✓	✓	✓
<b>With retarding basin of Purbosari (<math>A_{k1}</math>)</b>					
2	- Maximum storage capacity $V_1$	✓	✓	✓	✓
	- Maximum storage capacity $V_2$	✓	✓	✓	✓
	- Maximum storage capacity $V_3$	✓	✓	✓	✓
	- Maximum storage capacity $V_4$	✓	✓	✓	✓
	- Maximum storage capacity $V_{20}$	✓	✓	✓	✓
	- Maximum storage capacity $V_{50}$	✓	✓	✓	✓
	- Maximum storage capacity $V_{100}$	✓	✓	✓	✓
3	- Maximum storage capacity $V_{200}$	✓	✓	✓	✓
<b>With retarding basin of Jeruk (<math>A_{k2}</math>)</b>					
- Maximum storage capacity $V_1$	✓	✓	✓	✓	
- Maximum storage capacity $V_2$	✓	✓	✓	✓	
- Maximum storage capacity $V_3$	✓	✓	✓	✓	
- Maximum storage capacity $V_4$	✓	✓	✓	✓	
- Maximum storage capacity $V_{20}$	✓	✓	✓	✓	
4	- Maximum storage capacity $V_{50}$	✓	✓	✓	✓
	- Maximum storage capacity $V_{100}$	✓	✓	✓	✓
	- Maximum storage capacity $V_{200}$	✓	✓	✓	✓
<b>With retarding basin of Kepek (<math>A_{k3}</math>)</b>					
- Maximum storage capacity $V_1$	✓	✓	✓	✓	
- Maximum storage capacity $V_2$	✓	✓	✓	✓	
- Maximum storage capacity $V_3$	✓	✓	✓	✓	
- Maximum storage capacity $V_4$	✓	✓	✓	✓	
- Maximum storage capacity $V_{20}$	✓	✓	✓	✓	
- Maximum storage capacity $V_{50}$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{100}$	✓	✓	✓	✓
	- Maximum storage capacity $V_{200}$	✓	✓	✓	✓

With retarding basin of Purwasari ( $A_{k4}$ )						
5	- Maximum storage capacity $V_1$	✓	✓	✓	✓	
	- Maximum storage capacity $V_2$	✓	✓	✓	✓	
	- Maximum storage capacity $V_3$	✓	✓	✓	✓	
	- Maximum storage capacity $V_4$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{20}$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{50}$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{100}$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{200}$	✓	✓	✓	✓	
With retarding basin of Trimulyo ( $A_{k5}$ )						
6	- Maximum storage capacity $V_1$	✓	✓	✓	✓	
	- Maximum storage capacity $V_2$	✓	✓	✓	✓	
	- Maximum storage capacity $V_3$	✓	✓	✓	✓	
	- Maximum storage capacity $V_4$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{20}$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{50}$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{100}$	✓	✓	✓	✓	
	- Maximum storage capacity $V_{200}$	✓	✓	✓	✓	

**Table 3. Simulation Result Recapitulation of Flood Peak Discharge Reduction ( $\Delta Q_p$ ) for Purwasari Retarding Basin (For example)**

Description	$V_k$	$R_{Ak}$	$Q_T$	$\Delta Q_p$
	(1000 m <sup>3</sup> )	(%)	(m <sup>3</sup> /s)	(%)
	(1)	(2)	(3)	(4)
Without the Retarding Basin	$Q_2$		88.7	
	$Q_5$		118.4	
	$Q_{10}$		141.0	
	$Q_{20}$		164.7	
With the Retarding Basin	Purbosari	7.01		
	Jeruk	8.65		
	Kepek	21.34		
	Purwasari	60.11		
	Trimulyo	66.52		
	$V_k$	$R_{Ak}$	$Q_T$	$\Delta Q_p$
With Purwasari Retarding Basin	$V_1$	42.8	60.11	88.7 -1.01
	$V_2$	85.6	60.11	88.7 -2.25
	$V_3$	128.0	60.11	88.7 -3.72
	$V_4$	170.2	60.11	88.7 -5.30
	$V_{20}$	812.1	60.11	88.7 -23.45
	$V_{50}$	1824.5	60.11	88.7 -32.36
	$V_{100}$	3360.3	60.11	88.7 -35.63
	$V_{200}$	6298.1	60.11	88.7 -36.64
	$V_1$	46.6	60.11	1184 -0.84
	$V_2$	93.1	60.11	1184 -1.86
	$V_3$	139.5	60.11	1184 -3.13
	$V_4$	185.5	60.11	1184 -4.39
	$V_{20}$	883.6	60.11	1184 -23.90
	$V_{50}$	1987.7	60.11	1184 -34.88
	$V_{100}$	3573.2	60.11	1184 -37.67
	$V_{200}$	6543.8	60.11	1184 -38.94
	$V_1$	49.5	60.11	141.0 -0.85
	$V_2$	98.8	60.11	141.0 -1.77
	$V_3$	148.0	60.11	141.0 -2.91
	$V_4$	196.9	60.11	141.0 -4.11
	$V_{20}$	938.5	60.11	141.0 -22.77
	$V_{50}$	2100.8	60.11	141.0 -36.24
	$V_{100}$	3735.7	60.11	141.0 -38.87
	$V_{200}$	6731.2	60.11	141.0 -40.14
	$V_1$	52.7	60.11	164.7 -0.85
	$V_2$	105.0	60.11	164.7 -1.70
	$V_3$	156.9	60.11	164.7 -2.67
	$V_4$	208.9	60.11	164.7 -3.76
	$V_{20}$	996.6	60.11	164.7 -21.80
	$V_{50}$	2213.0	60.11	164.7 -37.28
	$V_{100}$	3907.6	60.11	164.7 -39.71
	$V_{200}$	6929.7	60.11	164.7 -41.11

**Table 4. Empirical Equation of Flood Peak Discharge Reduction ( $\Delta Q_p$ ) by Using Retarding Basin Method**

Maximum Storage Capacity ( $V_k$ )	Empirical Equation	Value Limits of Maximum Storage Capacity $V_k$ (1000 m <sup>3</sup> )	Correlation Coefficient (R)	Determination Coefficient ( $R^2$ )	Adjusted $R^2$	Correlation Category
<b>Alternate-1</b>						
$V_1 - V_{200}$	$\Delta Q_p = 2.201135 - 0.005056 V_k - 0.212053 R_{Ak} + 0.007460 Q_T$	36.4 - 7039.1	0.8379	0.7021	0.6964	very strong
<b>Alternate-2</b>						
$V_1 - V_4$	$\Delta Q_p = 0.105654 - 0.014593 V_k - 0.029251 R_{Ak} + 0.011089 Q_T$	36.4 - 208.8	0.7681	0.5900	0.5738	strong
$V_4 - V_{20}$	$\Delta Q_p = -0.770655 - 0.020144 V_k - 0.093325 R_{Ak} + 0.041891 Q_T$	136.2 - 997.3	0.9539	0.9099	0.9024	very strong
$V_{20} - V_{200}$	$\Delta Q_p = -0.684102 - 0.002152 V_k - 0.436284 R_{Ak} - 0.003681 Q_T$	556.1 - 7039.1	0.9407	0.8850	0.8804	very strong
<b>Alternate-3</b>						
$V_1 - V_4$	$\Delta Q_p = 0.105654 - 0.014593 V_k - 0.029251 R_{Ak} + 0.011089 Q_T$	36.4 - 208.8	0.7681	0.5900	0.5738	strong
$V_4 - V_{200}$	$\Delta Q_p = 1.374989 - 0.003702 V_k - 0.338381 R_{Ak} + 0.004773 Q_T$	136.2 - 7039.1	0.8620	0.7431	0.7351	very strong

The flow simulation design was carried out using several flood hydrograph scenarios. The flow simulations conducted using the HEC-HMS program are described as follows:

• **Scenario-1**

Scenario 1 represents a simulation using flood hydrograph data with return periods of 2, 5, 10, and 20 years ( $Q_T$ ) without a retarding basin at the Taman Pancuran control point, considering its watershed area (A).

• **Scenario-2**

Scenario 2 represents a simulation using flood hydrograph data with return periods of 2, 5, 10, and 20 years ( $Q_T$ ) by optimizing the retarding basin function of Purbosari ( $A_k$ ) with several maximum storage capacities ( $V_k$ ) to reduce flood peak discharge at the downstream control point of Taman Pancuran (A).

• **Scenario-3**

Scenario 3 represents a simulation using flood hydrograph data with return periods of 2, 5, 10, and 20 years ( $Q_T$ ) by optimizing the retarding basin function of Jeruk ( $A_k$ ) with several maximum storage capacities ( $V_k$ ) to reduce flood peak discharge at the downstream control point of Taman Pancuran (A).

• **Scenario-4**

Scenario 4 represents a simulation using flood hydrograph data with return periods of 2, 5, 10, and 20 years ( $Q_T$ ) by optimizing the retarding basin function of Kepek ( $A_k$ ) with several maximum storage capacities ( $V_k$ ) to reduce flood peak discharge at the downstream control point of Taman Pancuran (A).

• **Scenario-5**

Scenario 5 represents a simulation using flood hydrograph data with return periods of 2, 5, 10, and 20 years ( $Q_T$ ) by optimizing the retarding basin function of Purwosari ( $A_k$ ) with several maximum storage capacities ( $V_k$ ) to reduce flood peak discharge at the downstream control point of Taman Pancuran (A).

• **Scenario-6**

Scenario 4 represents a simulation using flood hydrograph data with return periods of 2, 5, 10, and 20 years ( $Q_T$ ) by optimizing the retarding basin function of Trimulyo ( $A_k$ ) with several maximum storage capacities ( $V_k$ ) to reduce flood peak discharge at the downstream control point of Taman Pancuran (A).

For practical application, it is recommended to use the empirical equation of Alternate 3. This recommendation is based on the observation that the empirical equation for the range ( $V_1 - V_4$ ) exhibits an anomaly in flood peak discharge reduction; therefore, it is preferable to treat it separately, even though the correlation coefficient is 0.7681, which still falls within the strong category (0.6000–0.7999). In addition, the empirical equation for the range ( $V_4 - V_{200}$ ) can be combined, as its correlation coefficient is 0.8620, which belongs to the very strong category (0.8000–1.0000).

The empirical equation for the range ( $V_1 - V_4$ ) has a coefficient of determination ( $R^2$ ) of approximately 0.5900, with an adjusted  $R^2$  of 0.5738, or 57.38%. This indicates that the variables  $V_k$ ,  $R_{Ak}$ , and  $Q_T$  explain about 57.38% of the variation in  $\Delta Q_p$ , while the remaining variation is influenced by other factors. Furthermore, the empirical equation for the range ( $V_4 - V_{200}$ ) has a coefficient of determination ( $R^2$ ) of approximately 0.7431, with an adjusted  $R^2$  of 0.7351, or 73.51%, indicating that  $V_k$ ,  $R_{Ak}$ , and  $Q_T$  explain about 73.51% of the variation in  $\Delta Q_p$ , with the remainder attributed to other factors.

However, the constraint related to implementation cost is more closely associated with the capacity of regional funding, particularly the Regional Original Revenue (PAD) of Gunungkidul Regency. Based on the sensitivity analysis, the results are as follows:

- For the equation  $\Delta Q_p = 0.105654 - 0.014593 V_k - 0.029251 R_{Ak} + 0.011089 Q_T$ , an increase in  $R_{Ak}$  of approximately 5% results in a 3.24% increase in  $\Delta Q_p$ , whereas an increase in  $R_{Ak}$  of about 10% leads to a 6.48% increase in  $\Delta Q_p$ .
- For the same equation,  $\Delta Q_p = 0.105654 - 0.014593 V_k - 0.029251 R_{Ak} + 0.011089 Q_T$ , an increase in  $V_k$  of approximately 5% increases  $\Delta Q_p$  by 7.09%, while an increase in  $V_k$  of about 10% results in a 14.18% increase in  $\Delta Q_p$ .
- For the equation  $\Delta Q_p = 1.374989 - 0.003702 V_k - 0.338381 R_{Ak} + 0.004773 Q_T$ , an increase in  $R_{Ak}$  of approximately 5% leads to a 3.84% increase in  $\Delta Q_p$ , whereas an increase in  $R_{Ak}$  of about 10% increases  $\Delta Q_p$  by 7.69%.
- For the same equation,  $\Delta Q_p = 1.374989 - 0.003702 V_k - 0.338381 R_{Ak} + 0.004773 Q_T$ , an increase in  $V_k$  of approximately 5% results in a 2.71% increase in  $\Delta Q_p$ , while an increase in  $V_k$  of about 10% leads to a 5.41% increase in  $\Delta Q_p$ .

These equations can be applied to other watersheds within the following boundaries:  $\Delta Q_p = 0.105654 - 0.014593 V_k - 0.029251 R_{Ak} + 0.011089 Q_T$ , with the limitation range of  $(V_1 - V_4) = (36.4 - 208.8) \times 10^3 \text{ m}^3$ , and  $\Delta Q_p = 1.374989 - 0.003702 V_k - 0.338381 R_{Ak} + 0.004773 Q_T$ , with the limitation range of  $(V_4 - V_{200}) = (136.2 - 7039.1) \times 10^3 \text{ m}^3$ .

## 4. Conclusion

The aim of this research is to develop a model for flood peak discharge reduction through the placement of retarding basins, presented in the form of a 4D graphic and an empirical equation. This research was conducted in the agglomeration area of Wonosari Urban, Gunungkidul Regency, Daerah Istimewa Yogyakarta, Indonesia.

The use and placement of retarding basins produce varying levels of flood peak discharge reduction ( $\Delta Q_p$ ) at the downstream control point (Taman Pancuran), depending on the maximum storage capacity of the retarding basin ( $V_k$ ) and the placement of the retarding basin ( $R_{Ak}$ ).

The results of the multiple linear regression used to derive the empirical equations for flood peak discharge reduction ( $\Delta Q_p$ ) using the retarding basin method are as follows:  $\Delta Q_p = 0.105654 - 0.014593 V_k - 0.029251 R_{Ak} + 0.011089 Q_T$  for values of  $(V_1 - V_4) = (36.4 - 208.8) \times 10^3 \text{ m}^3$ , and  $\Delta Q_p = 1.374989 - 0.003702 V_k - 0.338381 R_{Ak} + 0.004773 Q_T$  for values of  $(V_4 - V_{200}) = (136.2 - 7039.1) \times 10^3 \text{ m}^3$ .

## 5. Declarations

### 5.1. Author Contributions

Conceptualization, H.Y. and L.M.L.; methodology, H.Y.; validation, H.Y.; formal analysis, H.Y.; investigation, H.Y. and M.S.; resources, H.Y. and L.M.L.; data curation, H.Y. and H.S.; writing—original draft preparation, H.Y. and H.S.; writing—review and editing, L.M.L. and M.S.; visualization, M.B. and W.S. All authors have read and agreed to the published version of the manuscript.

### 5.2. Data Availability Statement

The data presented in this study are available in the article.

### 5.3. Funding

The authors received no financial support for the research, authorship, and/or publication of this article.

### 5.4. Conflicts of Interest

The authors declare no conflict of interest.

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